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THE RITUAL  
OF  
THE METHODIST CHURCH,  
WITH  
FORMS OF PRAYER.

TRANSLATED INTO CREE, AND WRITTEN IN SYLLABICS,

BY

REV. J. McDOUGALL

AND

REV. E. B. GLASS, B.A.

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M59  
1899

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TORONTO:  
METHODIST MISSIONARY SOCIETY.

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# THE RITUAL

OF

THE METHODIST CHURCH.

## BAPTISM OF INFANTS.

$$\Delta \nabla \Gamma \parallel \nabla \Delta \cdot \quad \Delta \nabla \parallel \dot{\Delta} \cdot \Delta \cdot \Delta \cdot$$

I.

$r b_{||} \triangleleft c_9 \Delta \cdot$

[illegible][illegible]







P<sub>2011</sub>ΔL<sub>11</sub> (P<sub>1</sub>) L<sub>1</sub>° Δ<sub>1</sub>Δ<sub>11</sub>Π<sub>1</sub>Γ, ∇ΔU<sub>11</sub>Ċb<sub>1</sub>x, Γ<sub>1</sub> (P<sub>1</sub> P<sub>1</sub>  
 ΔL b<sub>1</sub>Δ<sub>1</sub> Δ<sub>11</sub>Ċ<sub>1</sub>Δ<sub>1</sub>), Γ<sub>1</sub> b<sub>1</sub>P<sub>1</sub>° Δ<sub>11</sub>Δ (V<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub> P<sub>11</sub>P<sub>1</sub>  
 L<sub>1</sub>Δ<sub>11</sub>Δbσ<sub>1</sub> dP<sub>1</sub>qP<sub>11</sub>(Δ<sub>11</sub>ΔbΔ<sub>1</sub>Δ<sub>1</sub> P<sub>1</sub>Δ<sub>1</sub>σ) Δ<sub>1</sub>Δ<sub>1</sub>Γ)σ<sub>1</sub>Π<sub>1</sub>Π<sub>1</sub>b<sub>1</sub>  
 P<sub>1</sub>Δ<sub>1</sub>° Δ<sub>11</sub>Π<sub>1</sub>. Δ<sub>11</sub>Δ<sub>11</sub>P<sub>11</sub>Δ<sub>1</sub> Δbq<sub>1</sub>P<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>σ<sub>1</sub> b<sub>1</sub> ΠV<sub>1</sub>Π<sub>1</sub>Π<sub>1</sub>q<sub>1</sub>,  
 ∇d<sub>1</sub> Δ<sub>1</sub> P<sub>1</sub> ΓU<sub>1</sub>Γ° (Δ<sub>1</sub>) ∇b<sub>1</sub>Δ<sub>1</sub> Γ<sub>1</sub> ∇b<sub>1</sub>Δ<sub>1</sub>b<sub>1</sub>x  
 Δ<sub>1</sub>Δ<sub>1</sub>Π<sub>1</sub>Δ<sub>1</sub>: ∇d<sub>1</sub> ∇b<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Ċd<sub>1</sub>, b<sub>1</sub>P<sub>1</sub>° L<sub>1</sub>Π<sub>1</sub>Π<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>, Γ<sub>1</sub>  
 L<sub>1</sub> P<sub>1</sub>P<sub>1</sub>Δ<sub>11</sub>Δ<sub>1</sub>Δ<sub>1</sub> Γ<sub>1</sub> P<sub>1</sub>P<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Π<sub>1</sub>Π<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>, P<sub>1</sub> Δ<sub>1</sub>=  
 Δ<sub>11</sub>(Δ<sub>11</sub> (P<sub>1</sub>), P<sub>1</sub> L<sub>1</sub>Γ<sub>1</sub>, (P<sub>1</sub>) b<sub>1</sub>Δ<sub>1</sub> Δ<sub>1</sub>Δ<sub>1</sub>Π<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub> (Δ<sub>1</sub>°),  
 Γ<sub>1</sub> b<sub>1</sub>Δ<sub>1</sub> Δ<sub>1</sub>Δ<sub>1</sub>Π<sub>1</sub>Δ<sub>1</sub> P<sub>1</sub> P<sub>1</sub>Δ<sub>1</sub> (P<sub>1</sub>) (V<sub>1</sub>Δ<sub>1</sub>σ<sub>1</sub> Δb<sub>1</sub>Δ<sub>1</sub>  
 Δ<sub>1</sub>Δ<sub>1</sub>Π<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>b<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>.

(∇d<sub>1</sub> ∇b<sub>1</sub> Δ<sub>1</sub>Δ<sub>1</sub>Π<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>σ<sub>1</sub> P<sub>1</sub> Δ<sub>1</sub>Π<sub>1</sub>σ<sub>1</sub> Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub> Δ<sub>1</sub>Δ<sub>1</sub>σ<sub>1</sub>, Γ<sub>1</sub> P<sub>1</sub> ΔU<sub>1</sub>  
 Δ<sub>11</sub>Δ<sub>1</sub> b<sub>1</sub>V<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>:—)

Δ<sub>1</sub>Δ<sub>1</sub>x Δ<sub>1</sub>Δ<sub>1</sub> Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>.

(∇d<sub>1</sub> ∇b<sub>1</sub> P<sub>1</sub> Δ<sub>1</sub>Δ<sub>1</sub>Π<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub> Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub> ∇ΔU<sub>1</sub>:—)

(Name.) P<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>(Π<sub>1</sub>) Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>σ<sub>1</sub> ∇Δ<sub>1</sub>Δ<sub>1</sub>(Δ<sub>1</sub>Δ<sub>1</sub>°, Γ<sub>1</sub>  
 ∇d<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>, Γ<sub>1</sub> b<sub>1</sub>Δ<sub>1</sub>Π<sub>1</sub>, Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>x. ∇Γ<sub>1</sub>.

Δ<sub>1</sub>Π<sub>1</sub>σ<sub>1</sub> Δ<sub>1</sub>Δ<sub>1</sub> Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub> b<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub> Δ<sub>1</sub>Π<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>σ<sub>1</sub> P<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub> P<sub>1</sub>=  
 P<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>, Γ<sub>1</sub> Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub> (P<sub>1</sub>), Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub> Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>σ<sub>1</sub>;  
 Γ<sub>1</sub> σ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub> P<sub>1</sub> Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub> (P<sub>1</sub>), Γ<sub>1</sub> Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>=  
 σ<sub>1</sub>Δ<sub>1</sub> (P<sub>1</sub>), Δ<sub>1</sub>Δ<sub>1</sub> Δ<sub>1</sub>Δ<sub>1</sub> b<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>, q<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub> (P<sub>1</sub>) Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>  
 (σ<sub>1</sub>Δ<sub>1</sub>°).

Δσ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub> b<sub>1</sub> ΠV<sub>1</sub>Π<sub>1</sub>Π<sub>1</sub>q<sub>1</sub>, Δ<sub>1</sub>Δ<sub>1</sub> b<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>, Γ<sub>1</sub> Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>=  
 Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub> P<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>σ<sub>1</sub>, Γ<sub>1</sub> Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub> b<sub>1</sub> b<sub>1</sub>Δ<sub>1</sub>Π<sub>1</sub>, Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>  
 P<sub>1</sub> b<sub>1</sub>Δ<sub>1</sub> Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub> b<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>. ∇Γ<sub>1</sub>.



[illegible][illegible][illegible]

"ᐃᓇᓇ.ᐃᓕ ᑭᐃᐅᓄᓂ, ᓂᓚᐃᓪ ᑦᔨ, ᑲᔩ: ᑲᓵᐸᐸ? ᐸᓯᓄ,  
ᓯᑲᓱᐃᓱᐸᓄᐃᓯ, ᐸᓇ ᑭᓯᓕᐸᐃᓯᐃᓯ ᑭᓯᓴᓱᐃᓯᐃᓯᐃᓯ ᐃᓱᓯ, ᑭᐸ  
ᐅᐸᓯᐸᐸᐸ ᐃᐃᓯᐃᓯᐃᓯ ᑲ ᓱᐅᓯᓱᓯᓯᓯ." (Acts xxii. 12-16.)

$$(\nabla d \nabla b, \triangleleft \nabla \Gamma_{II} \nabla \Delta, \triangleright \sigma, \rho \in \Delta U, \triangleleft \sigma_{III} \Delta, b \Delta, \triangleright b_{III} \triangleleft_{III} (\Gamma_{III} : -))$$
[illegible]
$$(\nabla dC \nabla b \cdot \triangle \nabla \Gamma_{11} \nabla \Delta \cdot \gamma \sigma_0 \text{ PC } b q \cdot \Gamma_0 \text{ C}_{11}) \text{ b } \Delta \cdot \gamma b_{11} \triangle_{11} \dot{C}_{11} C_0 \cdot \dot{C} \wedge^p \gamma \text{ :—})$$

CV. r p>σ<sub>11</sub>Δ<sub>0</sub> LR Δ<sub>11</sub>x, Γa b<sub>11</sub>p><sub>0</sub> Δ<sub>2</sub>pΔ.  
LRb<sub>2</sub>UΔ.α, Γa Δ.↳pΔ. ΔbΔ.CJΔ.α, ∇b pC ΛΓ=  
O<sub>11</sub>ΔL, Δ<sub>11</sub>> b.r<sub>11</sub>Δd↳, ∇Δ.δσ?

$$b_{11}p^2 \triangleright \nabla \triangleleft d\sigma \quad \sigma < p \cap \tau.$$

PCV-D97L0 r P6Lσ) ∇·ϵ||CΔ||L0; LΔ·P rϵ||=  
 bNz, b PDz||C, P||bΓ Γa Δnρ? Γa P6n b3~  
 D V6 Δdrh2a PNVz||P9Γa0? Γa ∇PΔb||, b  
 bΔNz, Δ||b, D||P, ∇Pσ||CΔ·P||Δd, Δa Dnρσ-Pn9·0  
 73Δ? ∇Pb6·CP||C, Δa D||P <NΔn <·εΔ, ∇Pρn=  
 Cnb||D||, ∇PσΛ, Γa ∇Pa||Δσ||, Γa ∇PΔ·σnb,  
 ∇P σn) ρrbr? ∇PΔ||Λnb, P||P ρdx Δr, ∇a||=  
 ΔΛ, DP||Pσnρx P6Lσ), ∇·ϵ||CΔ·L0 LΔ·P rϵ||bNz,  
 ∇dC D||P bΔ· P(Cdr) >σ ΔnρΔ·P PC Δ·bnd·C, b  
 ΔLNPz, Γa b σΛz? Γa PCV-D97L0 r b  
 bΔNz, Δ||b, Γa ΔσL bΔr ΔbΓ||∇Δ·bΓ, Γa  
 DΔ·7Δ·bσ||)Δ·σΔ·0 DbΔn||DΔ·; Γa ∇>σz||CΓx  
 L||NΔ·σx, ∇ΔΛrρLbx Γb; Γa bP9 ΔLNPz?

$$b_{11} \rho \lesssim 0 \quad \triangleright L \quad \nabla \cdot f(\Delta \cdot \sigma(V \cdot \triangleright q \triangleright_{11} U)).$$

pb r r' b<sub>11</sub> Δ<sub>11</sub> c<sub>d</sub> Δ · r<sub>3</sub> Δ L C Δ · c<sub>v</sub> · Δ q<sub>12</sub> Δ L Δ · σ<sub>x</sub> ?

$$\nabla dr \quad \sigma \cap r \triangle \dot{b} \triangle \cdot U_3.$$
[illegible]

σββ9.γυ, ργλσγ σγυβΔ.ρ.

(v.b.  $\Delta \vdash \Gamma \cup \Delta \vdash \sigma_0$  PC b9.  $\Gamma \cup \Delta \vdash (\sigma \vdash \Delta \vdash) \vdash \Delta \cap \Delta \vdash \Delta \vdash \vdash \Delta \vdash$

$\text{Pb} \triangleleft \text{Cu}, \nabla d \nabla \triangleleft d \text{ PC } \triangleleft \text{PnCo PC } \triangleleft \text{U} \text{ :—}$

$$\begin{aligned} & \rho_j b_{11} \dot{\Delta}_{11}(\mathbf{N}) \triangleright \Delta \cdot \dot{\Delta} \cdot \sigma_x \quad \nabla \cdot \dot{\Delta}_{11}(\Delta \cdot \mathbf{L} \circ, \Gamma_a \quad \nabla \cdot d \rho_j x, \\ & \Gamma_a \quad b \quad b \dot{\Delta} \cdot \mathbf{N} \rho_j \quad \dot{\Delta}_{11} b_x \quad \nabla \Gamma_j. \end{aligned}$$







## RECEPTION OF MEMBERS.

[illegible]



$\Delta \wedge P_{\alpha} \cdot \Delta$ ,  $\Gamma_{\alpha}$  PC  $\Delta \cdot \Pi \Delta \nabla \cdot C$   $b \dot{\sim} \alpha$   $\alpha \dot{\sim} x$   $\Delta \Pi \Gamma_{\alpha} =$   
 $\dot{C} \cdot \Delta \cdot \alpha$ ,  $\Gamma_{\alpha}$  PC  $b \alpha \nabla \cdot \dot{\Gamma} d C$   $\Delta \nabla \Gamma_{\alpha} \nabla \Delta \cdot \dot{\Gamma} \sigma \Delta$ ,  $L_{\alpha}$  PC  
 $\nabla \cdot \dot{\Gamma}$   $\Delta \nabla C$   $\Delta \sigma \Pi \Delta$   $\dot{\Gamma} \nabla \cdot \dot{\Gamma} \Pi \dot{C} d \dot{\Gamma} \Delta \cdot \alpha$   $\dot{b}$   $\dot{\Delta} \dot{\Gamma} (L \Pi \Gamma_{\alpha} C \Pi) \dot{b}$   
 $\Pi \nabla \dot{\Gamma} \Pi \dot{C} d \dot{\Gamma} C$   $(V \cdot \Delta \dot{\Gamma} \Pi C \dot{\Gamma} \Delta \cdot \sigma \Delta \Pi \dot{\Gamma} \Delta \cdot \sigma x$   $\nabla d C$   $\Delta P$   
 $P \Pi \dot{C} (L \wedge \Delta \cdot \sigma \dot{\Delta} x$   $V \dot{\Gamma} \Pi (\Delta \cdot \alpha L \cdot \alpha$  PC  $\wedge) \dot{\Gamma} C$ .

$\Delta \sigma \Pi =$   $\sigma \Pi U \dot{\Gamma} \Pi U \dot{\alpha}$   $\nabla \Delta \dot{C} (L \wedge$   $P \dot{\Gamma} L \sigma)$  PC  $b \dot{\Gamma} \cdot \Gamma =$   
 $L \dot{\Gamma} \Pi P$   $\Delta (V \cdot \Delta \dot{\Gamma} \Pi C \dot{\Gamma} \Delta \cdot \sigma \Delta \cdot \sigma$   $\Delta \Pi \Gamma$   $P C \Pi \dot{P}$   $P_{\alpha} \dot{\Gamma} \Pi C \dot{\Gamma}$   $\nabla U =$   
 $\wedge \Delta \alpha \wedge \Pi U \dot{\Gamma} \Pi \dot{C} d \dot{\Gamma} C$ , PC  $\wedge \Pi \Pi b \cdot \Pi \Delta \Pi \Gamma_{\alpha}$   $\Delta \nabla \Gamma_{\alpha} \nabla \Delta \cdot b \dot{\Gamma} d x$ .

$(\nabla b \cdot \Delta \nabla \Gamma_{\alpha} \nabla \Delta \cdot \dot{\Gamma} \sigma \sigma$  PC  $P \Pi U$   $\Delta \sigma \Pi \Delta$   $\dot{b}$   $\Delta \cdot \wedge \Pi \Pi \dot{\Gamma} \dot{\Gamma}$   $\Delta \nabla \Gamma_{\alpha} \nabla \Delta \cdot b \dot{\Gamma} d x)$

$\dot{b}$   $\dot{\Gamma} \Pi \Delta (P_{\alpha}$   $P \nabla \Delta) \Pi C \alpha \Delta \cdot \sigma$   $\Delta C$   $\nabla \Delta b \dot{\Delta} \cdot \dot{\Gamma}$  PC  $\Delta =$   
 $\dot{\Gamma} \dot{\Delta} \cdot b \sigma \alpha b \dot{\Gamma}$   $\Delta \sigma L$   $\Delta \nabla \Gamma_{\alpha} \nabla \Delta \cdot b \dot{\Gamma}$   $P \wedge \dot{L} \Pi \Delta \nabla \cdot \Gamma_{\alpha} \cdot \dot{b}$   
 $P \Delta (V \cdot \Pi \wedge \nabla \cdot \Pi \Delta \nabla \cdot \Delta \Gamma_{\alpha} d C$   $\Delta \Pi \Gamma$   $\alpha (C \dot{\Gamma} \dot{\alpha} \dot{\alpha})$   $\nabla \dot{\Gamma} \dot{\Gamma} b \Delta \cdot \dot{\Gamma}$   
 $\Delta \sigma \dot{\Gamma} \Pi b \dot{L} \dot{\Gamma} \Delta \cdot \dot{\Gamma}$   $P \dot{\Gamma} L \sigma)$   $\Delta \cdot \dot{\Gamma}$   $\nabla \alpha \dot{\Gamma} d \dot{\Gamma}$  PC  $\Delta \wedge \Gamma \Pi \dot{\Gamma} =$   
 $\dot{\Delta} \cdot b \sigma$   $P \dot{\Gamma} \Delta \cdot \sigma$   $\nabla d \dot{\Gamma}$   $\Delta L \dot{\Gamma} d x$   $\Delta \alpha d$   $P \dot{\Gamma} \dot{\Gamma} \dot{\Gamma} \dot{\Gamma} \Delta \cdot \sigma$   $P P =$   
 $V \Pi U \alpha \Delta \cdot \sigma$   $\nabla$   $\Delta \dot{\Gamma}$   $\dot{\Gamma} \nabla \cdot \dot{\Gamma} \Pi \Pi (b \cdot \Pi \Pi P$   $\Delta \sigma \Pi \Delta$   $\Delta \dot{\Gamma} \Pi C \cdot \Delta \cdot \alpha$   $\Gamma_{\alpha}$   
 $\nabla$   $\Delta \dot{\Gamma}$   $P_{\alpha} U \dot{\Gamma} \Pi \dot{C} b \cdot \Pi \Pi P$   $\Delta \sigma \Pi \Delta$   $\Delta \Pi \dot{\Gamma} \Delta \cdot \alpha$   $\dot{b}$   $\Pi \nabla \dot{\Gamma} \Pi \dot{C} b \cdot \Pi \Pi b \cdot \sigma$   
 $b \dot{\sim} \alpha$   $\Delta (L \nabla \Gamma_{\alpha} \nabla \Delta \cdot b \dot{\Gamma} d x$ ;  $\nabla \Delta \cdot d$   $\Delta \Pi \Gamma$   $L \dot{\Gamma} \nabla \cdot \alpha$   $\Gamma) \sigma$   $\wedge \Pi =$   
 $b \cdot \Pi \Delta b \Delta \cdot \dot{\Gamma}$  PC  $\alpha \Pi \Delta \dot{\Gamma} \sigma$   $\Delta C$   $\dot{\Gamma} \dot{\Gamma} \alpha$  PC  $\Delta \Pi \Gamma$   $\dot{\Gamma} P \Pi \sigma \dot{\Gamma} \dot{\Gamma}$   
 $\Gamma_{\alpha}$   $\Delta \Pi C \dot{\Gamma}$  PC  $(V \cdot \Delta \dot{\Gamma} \Pi C \dot{\Gamma} \Delta \cdot \sigma \Delta \cdot \sigma$  PC  $\Delta \dot{\Gamma}$   $\alpha \dot{\Gamma} \cdot \Delta \cdot \dot{\Gamma} \dot{L} C \dot{\Gamma}$   
 $\Delta \sigma \Pi =$   $\dot{\Gamma}$   $b \dot{\Gamma} \cdot \Gamma \dot{\Gamma} b \Delta \cdot \dot{\Gamma}$ :—

$P b$   $\Gamma$   $\Delta C$   $\nabla \Delta \dot{C} (L \wedge$   $P \dot{\Gamma} L \sigma)$ ,  $\Gamma_{\alpha}$   $\Delta L$   $L \dot{\Delta} \cdot \Gamma =$   
 $\Delta) \Delta \cdot \dot{\Gamma}$   $\dot{\Delta} \Pi \Gamma$   $\dot{\Gamma} P \Pi \sigma \dot{\Gamma} \dot{\Gamma} (\Delta \cdot \sigma$   $P \dot{\Gamma} L \sigma)$ ,  $\Gamma_{\alpha}$   $P \Pi \dot{C} C$   $\Delta \Pi \sigma \alpha \Delta \cdot \sigma$   
 $\nabla$   $\Delta \dot{\Gamma}$   $P_{\alpha} U \dot{\Gamma} \Pi \dot{C} b \cdot x$   $\Delta \sigma L$   $P_{\alpha} P \Pi \Delta \cdot \dot{\Gamma}$   $\dot{b}$   $P \Delta \Pi \alpha \dot{\Gamma}$   $\Delta \alpha \wedge$   
 $\nabla$   $\Delta \dot{\Gamma}$   $\dot{\Gamma} b \Pi \dot{\Delta} \Pi \dot{C} b \Delta \cdot \dot{\Gamma}$ ,  $\Gamma_{\alpha}$   $\Gamma$   $P \Pi U \dot{\Gamma} \Pi U \alpha \Delta \cdot \sigma$   $P U \Pi \Delta \dot{\Delta} \cdot x$   
 $P \wedge \dot{L} \Pi \dot{\Gamma} \Delta \cdot \sigma \dot{\Delta} \cdot x$ ,  $\sigma \dot{\Gamma} \Delta \cdot \sigma x$ ,  $\Gamma_{\alpha}$   $b P \dot{\Gamma}$  PC,  $(V \cdot \Delta \cdot \sigma x$   
 $\Delta \Pi \dot{\Gamma} b \Delta \cdot \dot{\Gamma}$   $P \dot{\Gamma} L \sigma)$  ?



96:  $\nabla \dot{b}$   $q\dot{p}$   $\Delta_{11} \Gamma$   $\Lambda_{11} b_{11} \Delta_{11} \dot{c}$   $\Delta \nabla \Gamma_{11} \nabla \Delta \cdot b \Gamma d_x$   $\rho c$   
 $\Gamma) \sigma$   $\Delta \cdot \Gamma_{11} \Delta \nabla \cdot \dot{c}$  ?

( $\rho \Lambda$ )  $\nabla \dot{b}$   $\Delta \dot{c}$   $\Delta_{11} \dot{c}^x$   $q\dot{b}$ ;  $\Delta \nabla \Gamma_{11} \nabla \Delta \cdot \dot{c}$   $\rho c$   $\Delta U$   $\Delta \sigma_{11} \Delta \dot{b}$   $\Delta \cdot \Lambda_{11} q\dot{p}$ ; —)

$\Delta (\Gamma \dot{c} \Delta \cdot \sigma_x$   $\rho (\Delta \cdot \dot{c} \dot{L} \dot{N} \dot{c})$   $\nabla$   $\Delta \dot{r}$   $\Delta \cdot \dot{q} \dot{d} \cdot b \sigma_{11}) L b_x$   
 $\Delta (\nabla \Gamma_{11} \nabla \Delta_{11} b \Gamma d_x$   $\rho \dot{q} L \sigma)$ ;  $\nabla d \dot{r}$   $\nabla \dot{m} d_{11} \dot{c} \dot{L}_x$   $\sigma (\nabla \Gamma_{11} \nabla \Delta \cdot$   
 $\dot{q} \rho_{11} \Delta \nabla \cdot \Delta \cdot \dot{c})$ ,  $\Gamma \dot{c}$   $\nabla$   $\Delta \cdot \Lambda_{11} \Gamma$   $\Delta (\Gamma \dot{c} \dot{L}_x$ ,  $\Delta \dot{m}$   $\nabla \dot{b}$   
 $\rho \dot{r} \Delta \cdot \sigma \cdot \dot{q} \cdot \dot{c} \dot{N} \dot{c} \dot{L} \dot{c}$   $\Delta \cdot \dot{q} \dot{d} \cdot \Gamma_{11} \Delta \cdot \Delta (\Gamma \dot{c} \dot{d} \dot{c}) \Delta \cdot$ ;  $\nabla d \dot{r}$   $\rho \dot{q} =$   
 $L \sigma)$   $\rho b \Delta \cdot \Delta_{11} \dot{r} \cdot \dot{L} \dot{d} \dot{c}$   $(\nabla \cdot \Delta \dot{q} \dot{r} \cdot \dot{c} \dot{d} \dot{r} \Delta \cdot \Gamma \dot{c}$   $b \dot{b} \dot{L} \dot{d} \cdot \dot{N} \dot{r} \Delta \cdot$   
 $\Delta (\nabla \Gamma_{11} \dot{d} \dot{c}$ ,  $\rho c$   $\Delta (\Delta \cdot \dot{q} \cdot b \sigma \Delta \cdot \dot{q}$ ,  $\Delta \cdot \dot{d}$   $\Lambda \dot{r}$   $\rho c$   $\dot{c} (\Gamma b =$   
 $\Delta \cdot \dot{q}$ ,  $\rho c$   $\Lambda_{11} \dot{q} \dot{q}$ ,  $\dot{m} L$   $\dot{q} d_{11} \dot{c} \Delta \cdot \sigma \Delta \cdot \Delta \nabla \Gamma_{11} \nabla \Delta \cdot b \Gamma$ ,  $\nabla \dot{b}$   
 $\dot{c}) \dot{c}$   $\Delta \dot{r}$   $\dot{b}$   $\dot{L} \dot{a} \dot{b}$ ,  $\nabla \Delta \dot{c} \dot{c} (L \dot{c} \dot{a} U$ ,  $\Delta$   $\rho_{11} \Gamma$   $\Delta \rho L$   $\Delta \Lambda \Delta \cdot$   
 $\rho \dot{q} L \sigma)$ .



### III.

## THE LORD'S SUPPER.

፬ በህጉ፣ ልዩ ሰነድ ለገንዘብ፡

[illegible][illegible]

Ad qb: q Δr JncΔ.eJd.4b.o Δprpsd.v pC  
DcdΔ.4dv, vdr Γurf Dcud; Δpn vΔ.d DL Δ.b=  
Δv.Δ.v, Γe Δ.ΔurfqΔ.v (Matt. vii. 12.)

aLΔ.ḡ Cucco ΔΔ.ḡ ḇ Δr, UVṖurqḥ, UV= Ṗurqḥ, PC Ḥurqo Pur PrdΔ. DUAΔ.Δ.σx; Lb Δa ḇDcx DNUṖurḇc cūCΔ. Pur Prdx ḇ Δḡ. (Matt. vii. 21.)

[illegible]











( $\nabla dC \nabla b \cdot \triangleleft \Gamma_{II} \nabla \Delta \cdot \dot{\rho} \sigma_0$ ,  $\triangleleft II \rangle \triangleleft \Gamma_{II} \nabla \Delta \cdot \dot{\rho} \sigma \triangleleft \cdot$ ,  $PC \triangleright \cap \mathcal{L} \cdot$ ,  $P_{II} \triangleright \triangleright \cap \mathcal{L} \cdot \Delta \cdot$   
 $\Gamma \cdot C \cdot PC \Gamma \triangleleft \cdot$ ,  $\triangleleft \dot{\rho} \dot{\rho} \sigma \triangleleft \cdot$ ;  $\Delta \cdot \wedge \nabla \Delta \cdot \Gamma \rho_x \triangleleft \cdot \cap \cdot \rho \cdot b$ ,  
 $\triangleright \Gamma \cdot PC \Delta \dot{C} \cdot \sigma \Delta \cdot$  :—)

( $\Gamma_a \triangleleft \Gamma_{\parallel} \nabla \Delta \cdot \rightarrow \sigma_0$  b  $\Gamma \Gamma_a x$   $\Gamma_{\sigma_{\parallel} b \cdot \Gamma' b}$   $\rho \in \Delta U_0$  :—)

▷Γιδε ΡΑΥΕΗΡΓΓαο ρλν b3'ν b ΡΡΡαLbΔ.Λ.,





IV.

## MARRIAGE SERVICE.

$\rho_{ij} = \Delta_{ij} \rho_{ii} / \Delta_i$ .

(σb) Ad Pp J24 Δ<sub>11</sub>Γx ΔΔ<sub>11</sub>Δ<sub>1</sub>σΔ<sub>1</sub>o b Δ<sub>1</sub> P<sub>11</sub> Δ<sub>1</sub>P<sub>11</sub>Δ<sub>1</sub> ΔC ∇LΔ<sub>1</sub>P<sub>11</sub>Δ<sub>1</sub>x,  
 Δ<sub>1</sub>∇Δ<sub>1</sub> ΔC<sub>1</sub>U<sub>1</sub> Δ<sub>1</sub>Δ<sub>1</sub>∇Δ<sub>1</sub>Δ<sub>1</sub>. Δ<sub>1</sub>∇Δ<sub>1</sub> P<sub>11</sub> Δ<sub>1</sub>P<sub>11</sub>Δ<sub>1</sub>o, (Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>-  
 P<sub>1</sub> Δ<sub>1</sub>Δ<sub>1</sub>Δ<sub>1</sub>, Δ<sub>1</sub>Δ<sub>1</sub> Δ<sub>1</sub>P<sub>11</sub>σ<sub>1</sub>P<sub>1</sub>x Δ<sub>1</sub>Δ<sub>1</sub>o, ∇Δ<sub>1</sub>  
 Δ<sub>1</sub>Δ<sub>1</sub>∇Δ<sub>1</sub>Δ<sub>1</sub>σ<sub>1</sub> P<sub>1</sub> Δ<sub>1</sub>U<sub>1</sub>:—)

[illegible][illegible]



Γα βα∇.ρL° ΔιδρΔ.σx Γα Γρ LυρρρΔ.σx, d(bv  
bυρρρ C <ρρΔ.υρρρ Γα ρC ρLρ, Δ.ρ ςd ρ Δρd  
ΔLρρρ, CΔρd-?

$$\nabla dT \Delta^{\circ} q_{\circ} P(\Delta U_{\circ} : -)$$

σb)U).

( $\nabla d\tau \in \Gamma(\nabla \Delta \cdot \rightarrow \sigma_0 \text{ PC } \Gamma_{\text{HP}} \cap \Delta \text{ a.v.d. PC } \triangleright \cap \hat{\Delta}, \triangleright \Pi \Pi \sigma^{\circ}, \triangleright \Pi \Pi$   
 $\triangleright \Pi \Pi \Pi \sigma^{\circ} \text{ PC } x, \Delta \sigma \Pi \Delta \Delta^{\circ} \cdot \Delta^{\circ}, \Gamma \Delta \text{ PC } \hat{\Delta}^{\circ} \wedge \Pi \Delta \text{d}, \triangleright \Gamma \Delta^{\circ} \Delta^{\circ} : -$ ).

8. (Name.) dσσn, 9. (Name.) PC P11P Δ·PΓĊ,  
 PC ΔLΔ·Ċ DC D11P σb), 9 Γ<C>9., 9 L>C>9.,  
 9 ∇·<P>Δ·119., 9 P0L1P1Δ·119., Δ11d1Δ·σx, Γ< L11=  
 P11DΔ·σx, PC L1P1ΔĊ, ΓΔ PC P0U>PΓĊ Δnd σ>Δ·  
 <9Δ·11ΔdLx, ∇ Δ1 ΔC0U P4Lσ) D0P11C·Δ·, ∇d1  
 Δ1 P0 P1PΓn σ(V·Δ·9>11CΔ· D11P.

$$\begin{aligned} & (\nabla d\tau \cdot \nabla b \cdot \Delta \cdot \nabla^2 d\zeta \cdot \Delta^2 q_0 \cdot PC \triangleright \nabla \nabla \nabla \cdot \triangleleft \sigma_{11} \Delta \cdot \Delta \nabla \triangleleft \cdot \triangleright P_{11} \nabla \sigma^{\wedge} \cdot \triangleright_{11} \nabla \triangleright P_{11} \nabla \sigma^{\wedge} P \triangleright \times \\ & \nabla d\tau \cdot PC \cdot \Delta^2 \wedge)_{11} (\nabla \cdot \triangleleft \nabla \nabla \nabla \Delta \cdot \triangleright \sigma \triangleleft \cdot \vdash) \end{aligned}$$
[illegible]

ΔΣΓ, ΔΣ.

[illegible]





ԾՐ ԼՎՈՒՄԱՆՈՒ; ԴԵ ՎՃԻ Վ ՃԻ ՔՈՔԱՆՈՒՄ ԸՆԴՈՒՄ,  
 ԸՆԴՈՒՄ ՎԵՍՏԱՆԻՇՎՈՒ Վ ՔԱՆՈՒՄ, ԸՆԴՈՒՄ  
 ՎՆԻՇՎՈՒՄ, ԴԵ ԸՃԻՄՈՒՄ, ԴԵ ԵՍՆՈՒՄ ԸՆԴՈՒՄ. ՎՃԻ.

(ՎՃԻ ԸՃԻ ՔՈՒՄ ՎՆԻՇՎՈՒՄ:—)

ՔՆԼՈՒՄ ՎՆԻՇՎՈՒՄ, ՔՆԼՈՒՄ ԸՃԻՄՈՒՄ, ՔՆԼՈՒՄ ԵՍՆՈՒՄ,  
 ԸՆԴՈՒՄ, ՔՆԻՇՎՈՒՄ, ԸՆԴՈՒՄ, ԴԵ ԵՍՆՈՒՄ=  
 ՔՆԻՇՎՈՒՄ; ԵՍՆՈՒՄ, ՔՆԻՇՎՈՒՄ, ԴԵ ԵՍՆՈՒՄ=  
 ՔՆԻՇՎՈՒՄ ԸՆԴՈՒՄ. ԱՆԻՇՎՈՒՄ, ՔՆԻՇՎՈՒՄ ԱՆԻՇՎՈՒՄ,  
 ԸՆԴՈՒՄ, ԱՆԻՇՎՈՒՄ ՔՆԻՇՎՈՒՄ ԵՍՆՈՒՄ. ՎՃԻ.

V.

BURIAL SERVICE.

$$\rho C \dot{\nabla} < (x, \nabla \varrho_{11} \Delta \sigma)_x.$$

( $\Delta \Gamma_{\parallel} \nabla \Delta \cdot \hat{\sigma}_0$  PC  $\Delta U_0$  :—)

[illegible]

"σρ<sub>α</sub>γ<sub>β</sub>U<sub>δ</sub> σΛL<sub>μν</sub>Δ∇·ε ∇Δ<sub>κλ</sub>, Γ<sub>α</sub> ρC δ<Δ.  
Δ<sub>αβ</sub>.ζ<sub>γ</sub> ρ<sub>γ</sub>b<sub>α</sub> ΔC Δ<sub>α</sub>ρ<sub>x</sub>, ∇d<sub>r</sub> ΔC Γ<sub>α</sub>C<sub>α</sub> ∇ ρ σ<sub>r</sub>=  
Δ·Δ<sub>μν</sub>Ĉ<sub>γ</sub>, LσJ<sub>h</sub>, ΔL σ<sub>h</sub>, ∇Δ<sub>γx</sub> σΔ·ζ<sub>r</sub><sub>x</sub> σbΔ·<L°  
ρ<sub>γ</sub>Lσ). q<sub>μν</sub>Δ̂·, σbρC<L° eLΔ·ζ Λ)<sub>α</sub> ΔΔ·ζ, Δ<sub>μν</sub>."

[illegible]

“ $\Delta \dot{r} \dot{r} \sigma \dot{\sigma} \dot{b} \dot{\sigma} \dot{\sigma} \dot{\Delta} \cdot \dot{p}$ ,  $\Delta \dot{n} \dot{q} \cdot \dot{\Delta} \cdot \dot{D} \dot{\sigma} \dot{\sigma} \dot{r} \dot{r} \dot{\Delta} \dot{L} =$   
 $\dot{r} \dot{r} \dot{\Delta} \dot{n}$ ,  $\dot{r} \dot{a} \dot{b} \dot{n} \dot{p} \dot{\sigma} \dot{b} \dot{b} \cdot (\dot{q} \dot{r} \dot{\Delta} \dot{n})$ ,  $\dot{D} \dot{\sigma} \dot{\sigma} \dot{\Delta} \dot{p} \dot{r} \dot{a} \dot{b} \dot{\Delta} \cdot \dot{c} \dot{r} \dot{\sigma} \dot{\sigma}$   
 $\dot{\Delta} \dot{n} \dot{d} - \dot{\Delta} \cdot \dot{\Delta} \dot{d} \dot{\sigma} \dot{\sigma}$ ;  $(\dot{c} \dot{r} \dot{\sigma} \dot{\sigma} \dot{r} \dot{a} \dot{\Delta} \dot{d} \nabla \dot{b} \dot{\sigma} \dot{\sigma} \dot{\sigma} \dot{\sigma} \dot{\sigma} \dot{\Delta} \dot{n} \dot{x} \dot{q} \dot{b} \dot{z}$ ,  
 $\dot{r} \dot{a} \dot{a} \dot{L} \dot{\Delta} \dot{\sigma} \dot{\sigma} \dot{b} - \dot{v} \dot{b} \cdot \dot{\sigma} \dot{x} \dot{\Delta} \dot{\sigma} \dot{\sigma}$ .”

“ $\gamma_b$   $\Delta L_{NR} \Delta \cdot \sigma_x$   $\sigma > \Delta \cdot \sigma_x$   $\rho \ddot{L}_{eq}$ ,  $\Delta \nabla \cdot e$   $q \dot{p}$ .









Δ. ἡῖρῖ<Δ.α(Δ.ῖ. ἔ.ῖ.α Δ(ἡῖΔ.ῖ, Γα ῖ)αΔ.ῖ. Ρ( Γ<Δ.ῖ, ἔῖρῖῖ Δ.ῖῖῖῖ.

ἡῖ.ῖ.Γ.ῖ. ἔῖρῖῖ Δ(ἡῖῖῖῖ; ῖῖῖῖῖῖ Ρ( ῖῖῖῖῖῖ. ῖῖ Ἀδ, Γῖ ῖ Δ.ῖ ῖῖῖῖ(Δ.ῖ Ρ( Δ.ῖ Γ<Δ.ῖ, Δ.ῖ ῖῖῖῖῖῖ; ῖῖῖῖῖῖ ῖ ῖῖῖῖῖῖῖῖῖ, ααῖῖῖῖ ἔῖρῖῖῖ ῖ Δ.ῖῖῖῖῖῖῖῖ Γῖ.

Γῖῖ. ῖῖῖῖ. Ρ( Δ. ῖῖῖῖῖῖ ῖῖῖῖῖῖῖ, ῖῖῖ ῖῖῖ Ρ( ῖῖῖῖ ῖῖῖῖ ῖῖ ῖῖῖ ἔ.ῖ.α Δ(ἡῖΔ.ῖ.

Δ ῖῖ, ῖῖῖῖ ῖῖῖῖῖῖ; ῖῖῖ ῖῖῖῖῖῖῖῖ, Γα ῖῖῖῖῖῖῖ ῖῖ ῖῖῖῖῖῖῖῖῖ ῖῖῖ, ῖῖῖ ῖῖ, ῖῖῖ ῖῖῖῖῖῖῖῖῖ, Δ.ῖ ῖῖῖ ῖῖῖ ῖῖῖ. ῖῖῖ.

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(2.)

ῖῖῖῖῖῖῖ, ῖῖ ῖῖῖῖῖ ῖῖῖῖῖῖῖῖῖ ῖῖ ῖῖῖῖ; ῖῖ ῖ Δ.ῖῖῖ(Δ.ῖ Γα <ΓαΔ.ῖ ἔῖρῖῖῖ ῖῖῖ, ῖῖῖῖῖῖῖῖ, Γα ῖῖῖῖῖῖῖῖ ῖ ῖῖῖ ῖῖῖῖῖῖ ῖῖῖ= ῖῖῖῖῖῖ ῖῖῖ. ῖῖῖῖῖῖῖ ῖῖῖῖῖῖῖῖ Γα ῖ ῖῖῖ ῖῖῖ. ῖῖ ῖ ῖῖῖ ῖ ῖῖῖῖ, Γα ῖ ῖῖῖῖῖῖῖῖ ῖῖῖ, ῖῖῖῖῖῖῖῖῖ. Δ.ῖῖῖῖῖ ῖῖῖῖ; ῖ ῖῖῖῖ= ῖῖῖῖ ῖῖῖῖ, Γα ῖ ῖῖῖῖῖῖῖ, ῖῖῖ ῖῖῖῖῖ ῖῖ ῖῖῖῖῖ.

Δ ῖῖῖ, ῖῖῖῖῖῖῖῖ ῖῖῖῖῖῖ Ρ( Γῖῖ ῖῖῖῖῖ, ῖῖῖ Ρ( αῖῖῖῖ Ρ( ῖῖῖῖῖῖ ῖῖῖῖῖῖῖ ῖῖῖ ῖῖῖῖῖῖῖῖ ῖῖῖῖ, Γα ῖῖῖῖῖῖῖ ῖῖῖῖῖῖ ῖῖῖῖῖῖῖ ῖῖῖῖῖῖῖ ῖῖῖῖῖῖῖ ῖῖῖῖῖῖῖ ῖῖῖῖῖῖῖ ῖῖῖῖῖῖῖῖ.

Δ.ῖῖῖῖ Γα ῖῖῖῖῖῖῖῖ ῖῖῖῖ; ῖῖ ῖῖ ῖῖῖῖῖῖῖῖῖ

(V·Δ), Γα β·Λ<sub>α</sub> Δ(ΠΓΔ), Γα (VΔ·9Π(Δ),  
Γα ΞΠΔ·Δ.

▷ Lσ), Ξ·Γ·Γ, ▷P P(Δ·ΓΓ; P<sub>α</sub>Δ Δ(Π  
ΔΔ·Λ, ▷C ▽b Γ<sub>α</sub>· ▽ <PΠσΓ, PC Δ(Πb<sub>α</sub>, ΔΠ-  
ΔΓUΠ▽, PC VΔΠ<sub>α</sub>.

βΠΠ<sub>α</sub> ΞΓΛ(Δ) Γα Δ<sub>α</sub>ΠΔ· P<sub>α</sub>UΠΔ ΔbU=  
αΔ·Δ, ▽dΓ Γ<sub>α</sub>Δ- Γ<sub>α</sub>Δ (ΞUΠΔ) Γα ααΠ=  
Δ(Δ).

PCΓΔ 9 ΔΓΠ<sub>α</sub>, Ξ·Γ·Γ; P<sub>α</sub>Π<sub>α</sub> PC Δ·ΓΠ<sub>α</sub>;  
▽dΓ ▷CΓΠΔ· PC Δ· ΓΠΠΓ<sub>α</sub>bb<sub>α</sub>, Γα ▷LΠ<sub>α</sub>  
PC Δ· d<sub>α</sub>αΔ; ▽dΓ βΠΠ<sub>α</sub> P<sub>α</sub>Δ·ΔΠΠ<sub>α</sub>, Δ·Λ  
▷ΠΓ P<sub>α</sub> b<sub>α</sub>· ΔΛΠΠΔ·Γ<sub>α</sub>. ▽Γ.

(3.)

▷ Lσ), Δ·Δ Λ<sub>α</sub> 9 Δ(Π<sub>α</sub> P<sub>α</sub> Λ<sub>α</sub>, P(Π<sub>α</sub>  
ΛΠΓΔ· ΔΓΔ·α.

P<sub>α</sub>ΠΠ(Δ) ΔΠ- PΠ(ΔΛΔ·σ<sub>α</sub> ΔΓ; Δ·Δ·Δ(Δ  
σΠΠΔ<sub>α</sub> PC LΓΠΓ<sub>α</sub> Γ(σ; σΔΓ)σΠΠbσ<sub>α</sub> d<sub>α</sub>α;  
ΔΛΓΓΓ<sub>α</sub> (V·Δ·σ<sub>α</sub> Γα ΞΠΔ·Δ·σ<sub>α</sub>. P(ΠΓ)σ  
ΞΠΔ(Π<sub>α</sub> P<sub>α</sub> σLσ)Γ<sub>α</sub> Γα P<sub>α</sub> ΔΛΠΠΔ·Γ<sub>α</sub>, ΔΓ  
ΓΠΠ<sub>α</sub> σΠΠΔ<sub>α</sub>.

▽ ββΔ· Γα ▽(ΔΔ· Δ(Δ· ΔΓ)σΠΠb<sub>α</sub>  
Γ<sub>α</sub>. Δ<sub>α</sub> σb Δ· Δ(Δ) ▷Γ<sub>α</sub>σ<sub>α</sub> σP<sub>α</sub>ΠΠ(Δ=  
Δ·Γ<sub>α</sub> P<sub>α</sub>.

σ<sub>α</sub>Δ<sub>α</sub>Δ<sub>α</sub> βΠΠ<sub>α</sub> Δ<sub>α</sub>ΠΔ· Ξ·Γ·ΓΔ·Δ· ΔΠΓ,

$\wedge \dot{L} \dot{N} \dot{P} \Delta$ ,  $\Gamma \leftarrow L \dot{N} \dot{N} \dot{D} \Delta$ ,  $\dot{b}$   $\Delta \cdot \dot{L} \dot{N} \dot{L}_x$ ,  $\dot{b}$   $\dot{\Gamma} \dot{P} \dot{L}_x$ ,  
 $\sigma \dot{N} \dot{U} \dot{\Gamma} \dot{a} \sigma$ ,  $\dot{\sigma} \dot{P} \dot{a} \sigma$ ,  $\sigma \dot{C} \dot{a} \dot{P} \dot{a}$ ,  $\Delta \cdot \dot{C} \dot{a} \dot{P} \dot{a}$ ,  $\Gamma \sigma \vee \dot{L} \dot{N} \dot{L}$   
 $\wedge \dot{L} \dot{N} \dot{P} \Delta$ ;  $b \dot{N} \dot{P} \dot{L} \dot{o}$   $q b$ ;  $P \dot{L}$   $P \dot{\Gamma} \dot{P} \Delta$ .  $\triangleright$   $\sigma \dot{L} \dot{N} \dot{b} \dot{L} \Delta \cdot \dot{a}$   
 $\dot{J} \dot{L}$   $\sigma \dot{P} \dot{a} \sigma$ ,  $\Gamma \sigma$   $\sigma \dot{U} \dot{N} \Delta \dot{a} \sigma$ ,  $\Gamma \sigma$   $\sigma \dot{L} \dot{Q} \cdot \dot{P} \dot{N} \Delta \Delta \cdot \sigma \dot{a} \sigma$ ,  $a =$   
 $\dot{a} \dot{n} \dot{d} \dot{J} \Delta \cdot \sigma$   $\Gamma \sigma$   $\dot{L} \dot{\Gamma} \dot{N} \dot{P} \dot{\Gamma} \dot{\nabla} \cdot \Delta \cdot \sigma$   $P \dot{C}$   $\Delta \dot{n} \dot{C} \dot{N} \dot{q} \dot{C} \dot{P} \dot{Q}$   $P \dot{N} \dot{C} \dot{a} (=$   
 $\dot{L} \Delta \Delta \cdot \sigma \dot{x}$   $\Delta \dot{r}$ .  $\nabla$  (ii)  $P \dot{r} \dot{N} \dot{q} \cdot \dot{L}$   $\dot{Q} \dot{L} \dot{\Gamma} \dot{N} \dot{Q} \Delta \cdot \dot{P} \dot{b}$   $\Delta \cdot$   
 $\dot{a} \dot{d} \dot{N} \dot{C} \cdot \dot{N} \dot{a}$ ,  $\nabla \dot{d} \dot{r}$   $\Delta \dot{r}$   $\nabla \dot{b}$   $P \dot{C}$   $\dot{Q} \dot{L} \dot{C} \dot{P} \dot{L}_x$   $P \dot{b} \dot{a} \dot{r}$   $\Delta \cdot \dot{L} =$   
 $\dot{r} \dot{\nabla} \cdot \Delta \cdot \sigma \dot{x}$   $\dot{D} \dot{N} \dot{P}$ .

$\triangleright$   $\dot{r} \dot{L}$ ,  $\dot{D} \dot{N} \dot{A} \dot{P} \dot{N} \Delta \dot{a}$   $\dot{r} \Delta \Delta \cdot \dot{r} \Delta \cdot \sigma \dot{x}$ ,  $\Gamma \sigma$   $\dot{C} \vee \cdot \dot{Q} \dot{q} \dot{P} \dot{N} =$   
 $\dot{C} \dot{J} \Delta \cdot \sigma \dot{x}$ ;  $\dot{Q} \dot{n} \dot{C} \dot{\nabla} \cdot \dot{N} \dot{Q}$   $b \dot{N} \dot{P} \dot{L} \dot{o}$   $\dot{a} \dot{d} \Delta \cdot \dot{L} \dot{N} \dot{P} \Delta$ ,  $\nabla \dot{d} \dot{r}$   $b \dot{N} \dot{P} \dot{L} \dot{o}$   
 $\dot{b}$   $\dot{D} \dot{N} \dot{U} \dot{\Gamma} \dot{N} \Delta \dot{\nabla} \cdot \dot{P} \dot{C}$   $\Delta \cdot$   $\dot{D} \dot{N} \dot{A} \dot{P}$   $\sigma \dot{U} \dot{N} \Delta \dot{a} \sigma$ .

$\dot{L} \dot{\nabla} \cdot \dot{P} \dot{N} \dot{C}$   $P \dot{C} \dot{L} \dot{\Gamma} \Delta$   $q$   $\dot{Q} \dot{C} \dot{N} \dot{N} \dot{C}_x$   $\dot{Q} \dot{a} \dot{N} \dot{L}$ ;  $P \dot{C}$   $\sigma \dot{r} \dot{N} \dot{N} \dot{L}_x$   
 $\Gamma \sigma$ ,  $\dot{D} \dot{\Gamma} \dot{r} \Delta \cdot \sigma \dot{C} \cdot \sigma \dot{C} \dot{N} \dot{b} \dot{N} \dot{d} \dot{a} \sigma$ ,  $\Delta \dot{r}$   $\sigma \dot{L} \dot{N} \dot{b} \dot{J} \Delta \cdot \dot{a}$ .

$\dot{L} \dot{\nabla} \cdot \dot{P} \dot{\Gamma}$   $\dot{U} \vee \dot{P} \dot{N} \dot{P} \dot{q} \dot{P}$ , (ii)  $\dot{b}$   $\dot{Q} \dot{N} \dot{d} \dot{r} \dot{C} \cdot \sigma$ ,  $\Gamma \sigma$   $\dot{b}$   $P \dot{r} =$   
 $\dot{a} \dot{U} \dot{P} \dot{N} \dot{C} \dot{N} \dot{P}$ ,  $\dot{Q} \dot{N} >$   $\dot{b}$   $\dot{Q} \cdot \sigma \dot{P} \dot{N} \dot{C} \dot{N} \dot{P}$   $\dot{a} \dot{d} \dot{C} \cdot \sigma$   $\Delta \dot{r}$ .

$\Delta \cdot \dot{q} \Delta \cdot \dot{a}$   $q$   $\Delta \dot{n} \dot{d}$   $\dot{L} \dot{Q} \cdot \dot{N} \dot{N} \Delta \dot{N} \dot{L}_x$ ,  $\Gamma \sigma$   $\dot{D} \dot{U}$   $\sigma \dot{b}$   $b \sigma =$   
 $\dot{\nabla} \cdot \dot{P} \dot{\Gamma} \dot{a}$   $P \dot{\Gamma} \dot{q} \cdot \dot{n} \dot{C} \dot{q} \Delta \cdot \sigma \dot{x}$ ,  $\nabla \dot{d} \dot{r}$   $\vee \dot{r} \Delta \cdot \dot{a}$   $\Delta \dot{P} \dot{n}$   $q \dot{N} \dot{P} \dot{Q} \cdot$   
 $P \dot{C} \dot{n} \dot{P}_x$ ,  $\Delta \cdot \dot{L}$   $\dot{D} \dot{N} \dot{P}$   $\dot{a} \Delta \dot{L} \dot{N} \dot{N} \Delta \dot{\nabla} \cdot \dot{\Gamma} \dot{a}$   $\dot{r} \dot{L}$   $b \dot{z} \cdot \sigma$ .  $\nabla \dot{\Gamma} \dot{b}$ .





ԺՎԵՆՈՒՄԸՆ ԲԲԻՐ ԼՇՈՒՆԻՆ; ԲԷ ԲԲԳԻՆՈՒՄ ԳԵ: Ե  
 ԶԻՆԸԸ, ՎՎ. ՎՎԻՆ; ԸՈՆԸԸԸԸԸ ԲԵԲԻՆԸ; ԲԸԸ  
 ԸՍԻՆԸԸԸ, ԲԷԸ ՎԸԸԸԸ ԸՆԸԸԸԸ. ԿՎԻՆԸ Վ ՃԸ  
 ԶԸԸԸԸԸԸ; ՃԸԸԸԸ ԸԸ, ԸԸԸ ԸՈՒԸ Գ ԸԸԸ  
 ԸԸԸԸԸԸ; ՎԸԸ ԸԸԸԸԸԸ ԸԲ ԲԸԸԸԸԸ, ԲԸ ԸԸԸ  
 <ԲԸԸԸԸ, ԸԸԸԸ ԸԸԸԸԸԸԸԸԸ ԲԸ ԸՎԸԸԸԸԸ  
 ՎԵ ԶԸԸ ՃԸ ԲԸԸ <ԸԸԸԸԸ.

ԿՎԻՆԸ ԸՈՒՆԸԸԸԸ; ԸԸԸԸ ՎԸԸԸԸ ԲԵ Ը.  
 ԿԲԸԸ, ԸԸ ԸԸԸ ԸԸ ԸԸԸ. ՎԸ.





